

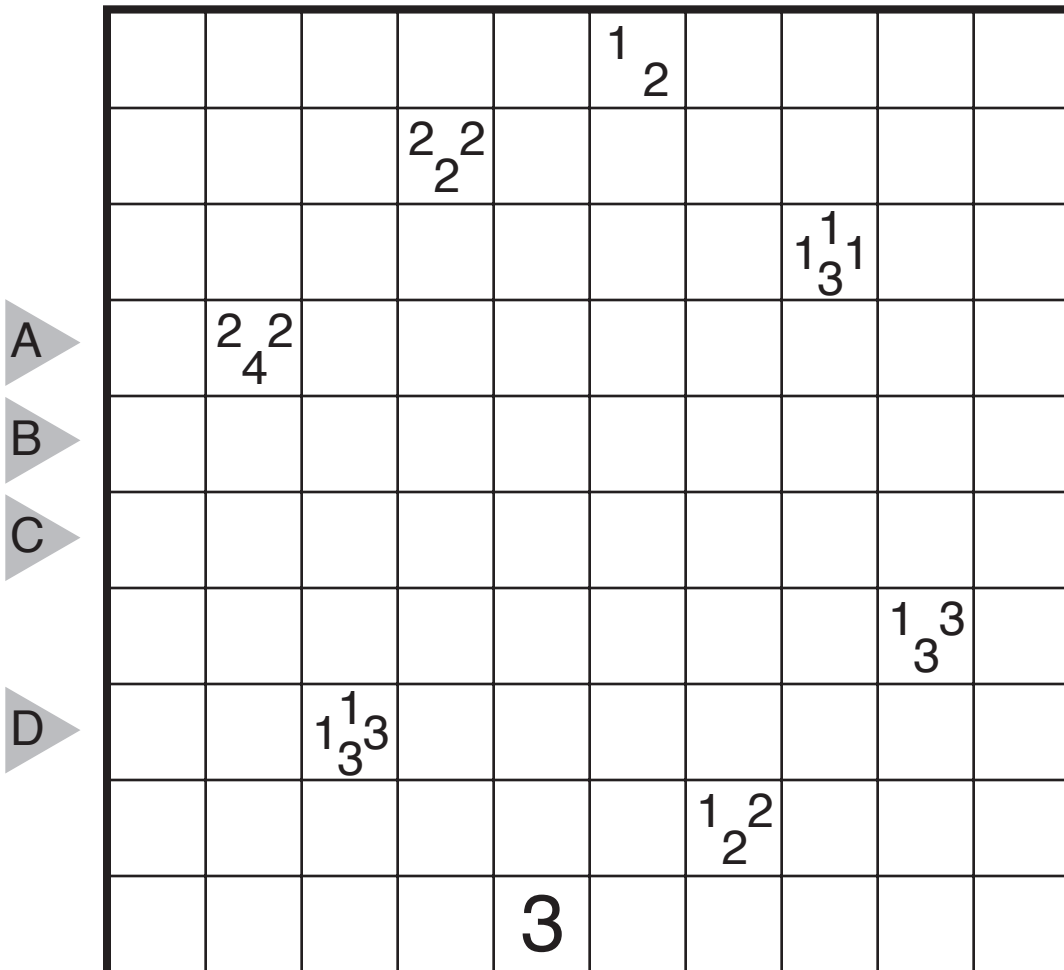
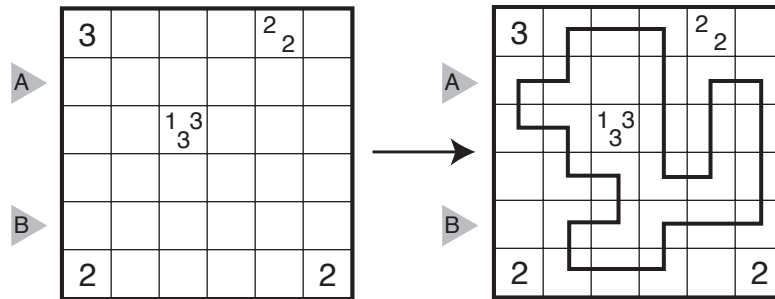
14/09/01:

# Tapa-Like Loop by Prasanna Seshadri

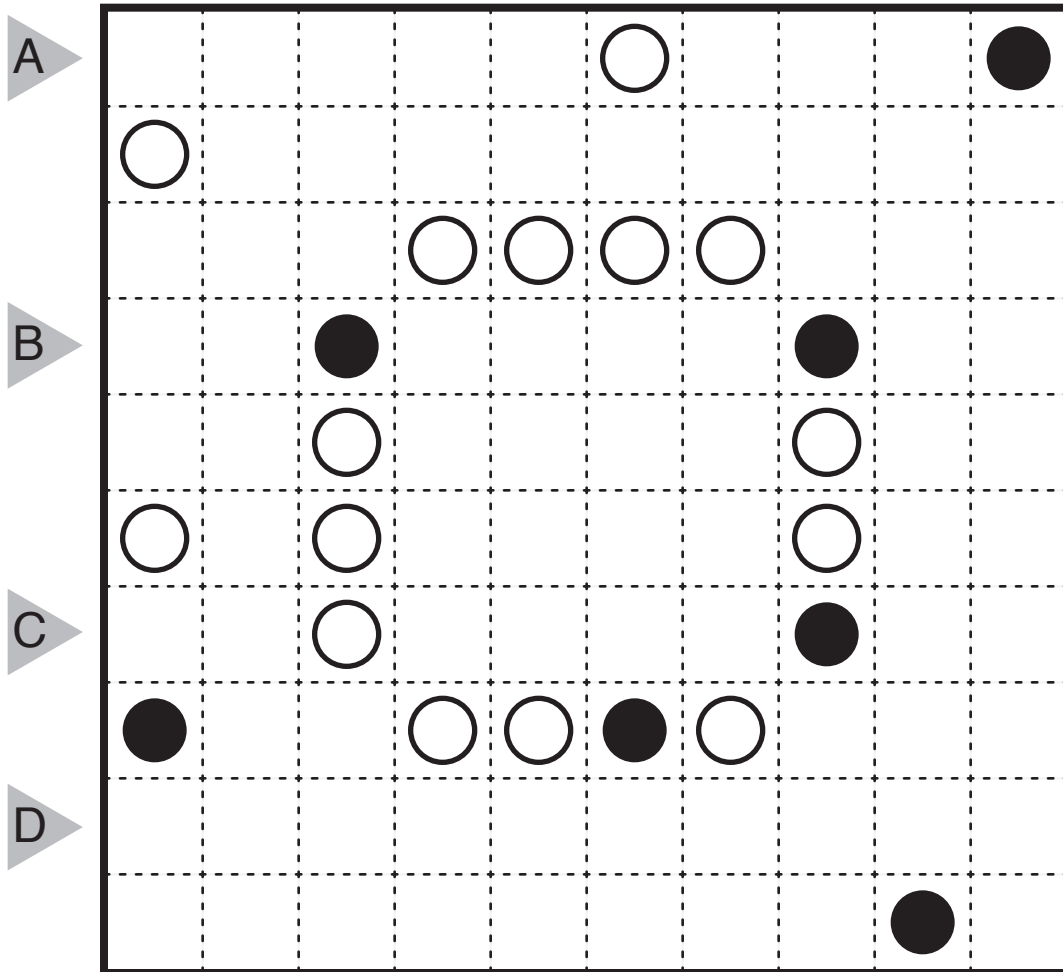
## Theme: Clue Symmetry and Logic

Rules: In this variation of Tapa, the wall is in the form of a single non-intersecting loop.  
 Clues inside the grid represent the number of neighboring cells visited by the loop;  
 if there is more than one number in a cell, each number should be represented  
 with a separate loop segment. There is no 2x2 rule of Tapa in this puzzle.

**ANSWER ENTRY:** Enter the length in cells of the horizontal loop segments from left to right  
 in the marked rows, starting at the top. Separate each row's entry with a comma. In this example,  
 the answer is "11,12".

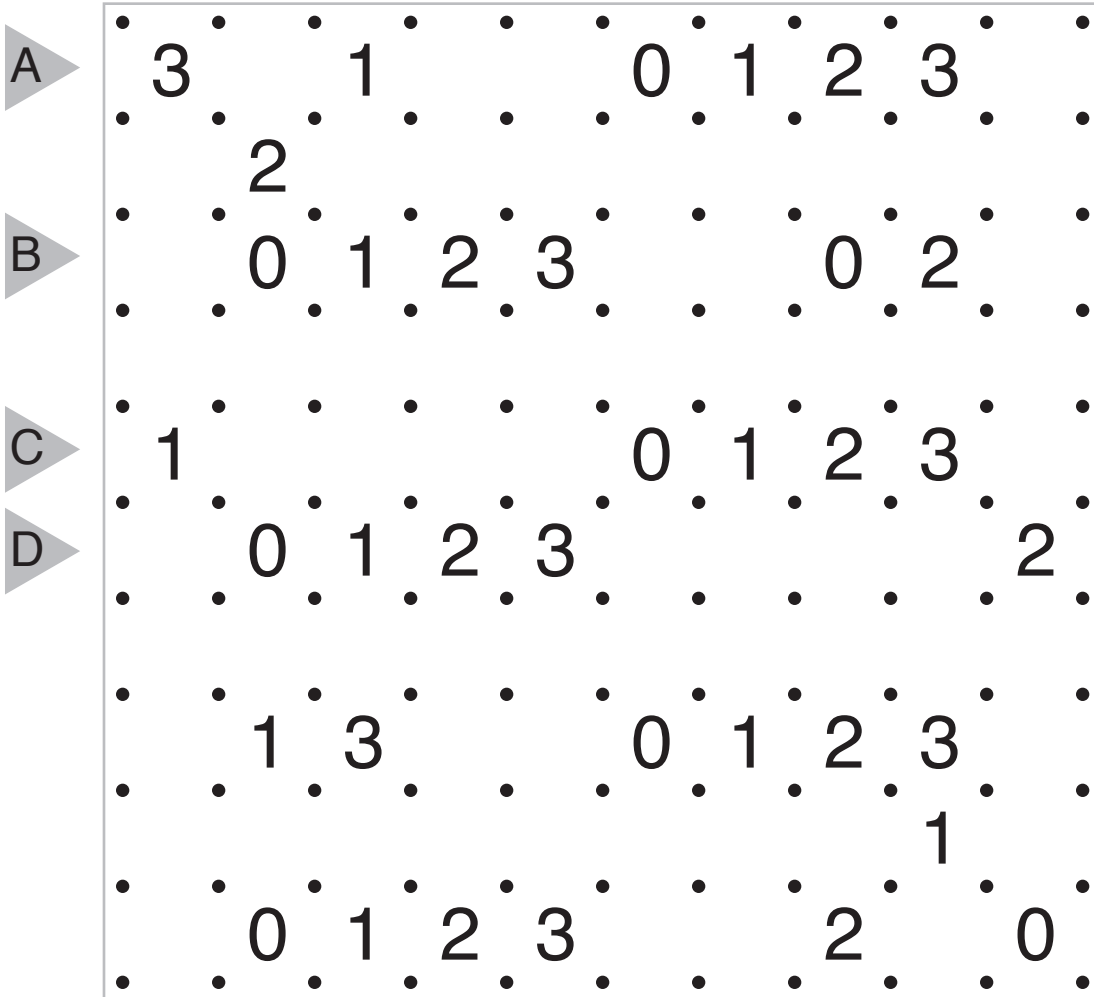


14/09/02:  
Masyu by Murat Can Tonta  
Theme: Box



14/09/03:

Slitherlink by Thomas Snyder  
Theme: 0123 and Antisymmetry

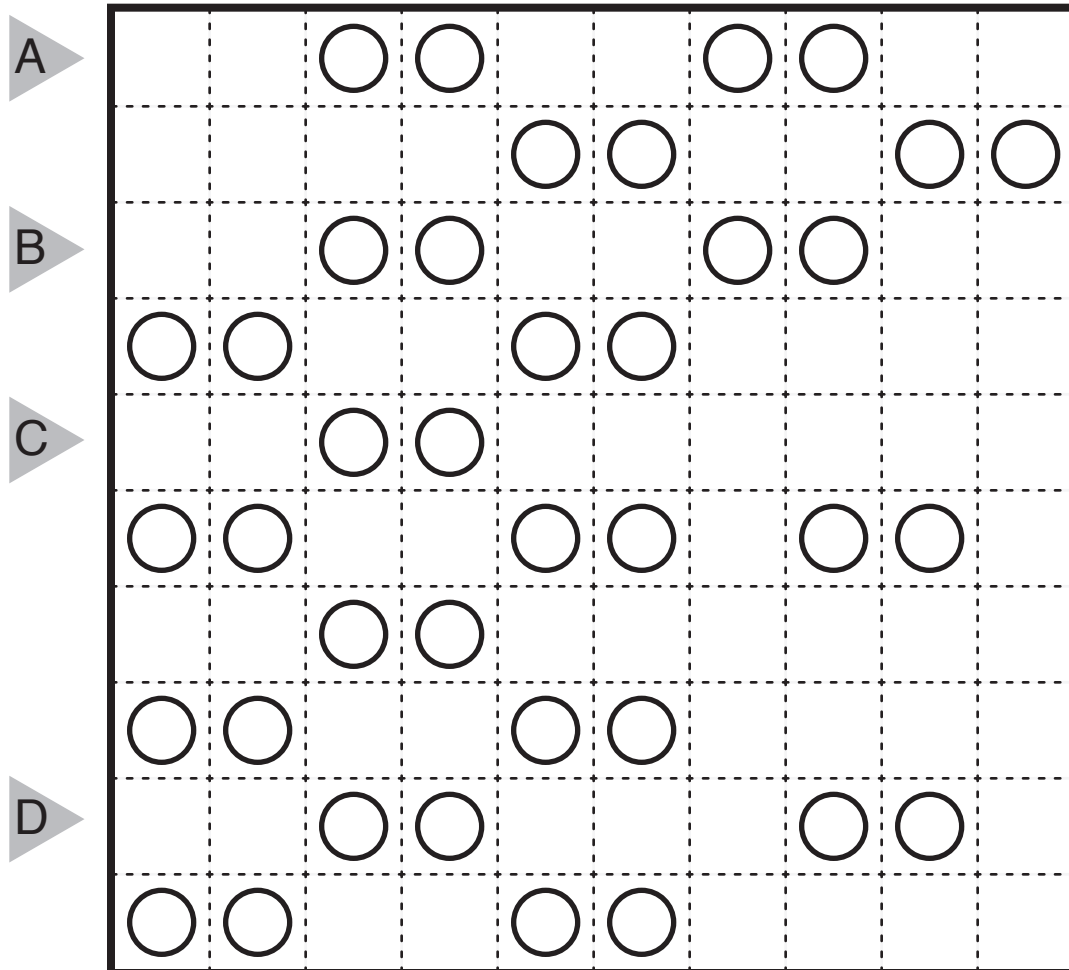


14/09/04:

# Masyu (Deformable) by Murat Can Tonta

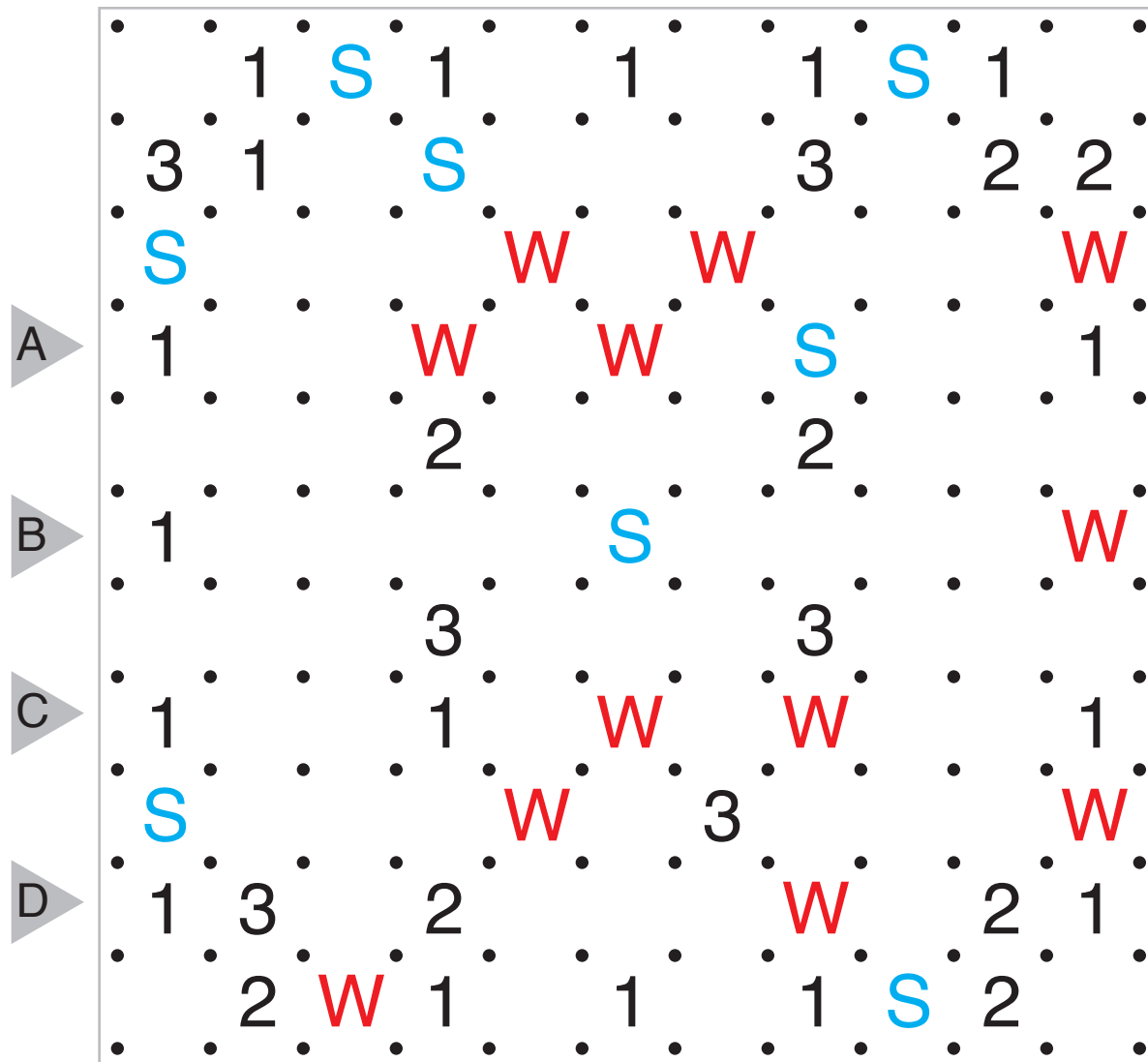
## Theme: Dominoes

Rules: Standard Masyu Rules. Also, some white circles must become black circles for this puzzle to have a valid solution.



14/09/05:  
 Slitherlink (Sheep and Wolves, no 2x2)  
 by Hans van Stippent  
 Theme: The Lone Sheep

Rules: Standard Slitherlink rules. Also, all sheep (marked by an S) must be inside the loop and all wolves (marked by a W) must be outside the loop. Also, no 2x2 square of cells can be entirely inside the loop, or entirely outside the loop.



14/09/06:

# Tapa-Like Loop by Prasanna Seshadri

## Theme: Odd One Out

Rules: In this variation of Tapa, the wall is in the form of a single non-intersecting loop. Clues inside the grid represent the number of neighboring cells visited by the loop; if there is more than one number in a cell, each number should be represented with a separate loop segment. There is no 2x2 rule of Tapa in this puzzle.

				3			3				
		$\begin{matrix} 1 & 3 \\ 3 & \end{matrix}$						$\begin{matrix} 1 & 1 \\ 2 & \end{matrix}$			
A											
	$\begin{matrix} 2 \\ 2 \end{matrix}$			$\begin{matrix} 2 & 1 \\ 2 & 2 \end{matrix}$			$\begin{matrix} 2 & 2 \\ 3 & \end{matrix}$				3
B											
C											
	3			$\begin{matrix} 2 & 3 \\ 3 & \end{matrix}$			$\begin{matrix} 1 & 1 \\ 2 & \end{matrix}$				3
D											
		$\begin{matrix} 1 & 2 \\ 2 & \end{matrix}$						$\begin{matrix} 1 & 1 \\ 3 & \end{matrix}$			
				3			4				